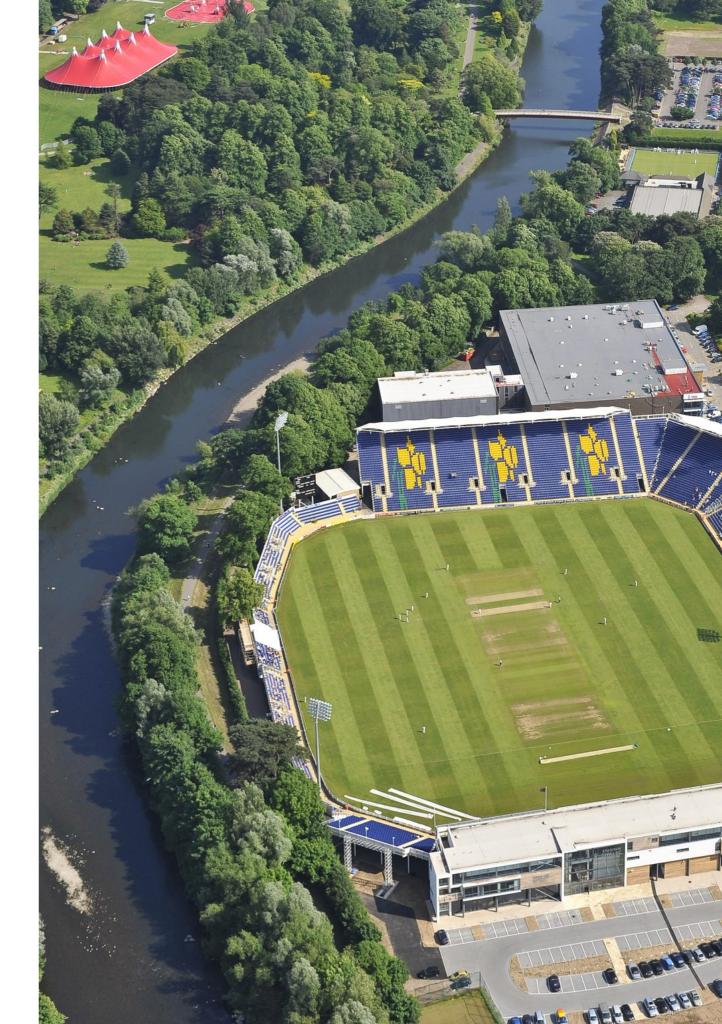
Gravity Exploration
Institute away-day:
Gravitational Waves
Astrophysical Inference

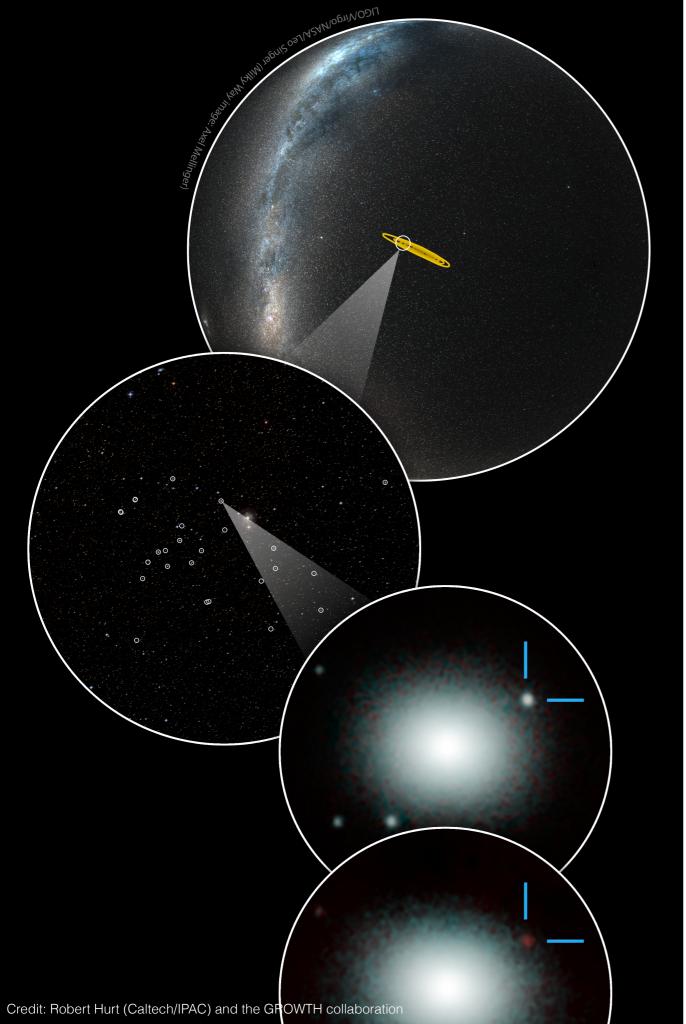
The Gravitational Waves
Astrophysical Inference Group



Gravity Exploration Institute

Sefydliad Archwilio Disgyrchiant





# PE (and Model Selection) in O3

- Trigger generation
- Online follow-up:
  - Bayestar
  - LALInference online / rapid\_pe
- Offline follow-up:
  - ROTA: "interesting" events
- Providing PDFs for all events for:
  - LVC publications/working groups
  - Public releases

$$p(\overrightarrow{\lambda} \mid \overrightarrow{x}, M) = p(\overrightarrow{\lambda}) \exp \left( -2 \sum_{i=1}^{N_{det}} \int_{f_{low}}^{f_{high}} df \frac{\left| \overrightarrow{x}_{i}(f) - h(f; \overrightarrow{\lambda}) C_{i}(f; \overrightarrow{\lambda}) - g_{i}(f; \overrightarrow{\lambda}) \right|^{2}}{S_{i}(f; \overrightarrow{\lambda})} \right)$$

#### MODIFIED BAYES' THEOREM:

$$P(H|X) = P(H) \times \left(1 + P(C) \times \left(\frac{P(X|H)}{P(X)} - 1\right)\right)$$

H: HYPOTHESIS

X: OBSERVATION

P(H): PRIOR PROBABILITY THAT H IS TRUE

P(x): PRIOR PROBABILITY OF OBSERVING X

P(C): PROBABILITY THAT YOU'RE USING BAYESIAN STATISTICS CORRECTLY

Don't forget to add another term for "probability that the Modified Bayes' Theorem is correct."

$$p(\overrightarrow{\lambda} | \overrightarrow{x}, M) = p(\overrightarrow{\lambda}) \exp \left( -2 \sum_{i=1}^{N_{det}} \int_{f_{low}}^{f_{high}} df \frac{\left| \overrightarrow{x}_{i}(f) - h(f; \overrightarrow{\lambda}) C_{i}(f; \overrightarrow{\lambda}) - g_{i}(f; \overrightarrow{\lambda}) \right|^{2}}{S_{i}(f; \overrightarrow{\lambda})} \right)$$

- Marginalisation over different priors
- Reweighing for different priors

$$p(\overrightarrow{\lambda} \mid \overrightarrow{x}, M) = p(\overrightarrow{\lambda}) \exp \left( -2 \sum_{i=1}^{N_{det}} \int_{f_{low}}^{f_{high}} df \frac{\left| \overrightarrow{x}_{i}(f) - h(f; \overrightarrow{\lambda}) C_{i}(f; \overrightarrow{\lambda}) - g_{i}(f; \overrightarrow{\lambda}) \right|^{2}}{S_{i}(f; \overrightarrow{\lambda})} \right)$$

- The uber-waveform model
- Marginalisation over approximants (GPR, ROM, ...)

$$p(\overrightarrow{\lambda} \mid \overrightarrow{x}, M) = p(\overrightarrow{\lambda}) \exp \left( -2 \sum_{i=1}^{N_{det}} \int_{f_{low}}^{f_{high}} df \frac{\left| \overrightarrow{x}_{i}(f) - h(f; \overrightarrow{\lambda}) C_{i}(f; \overrightarrow{\lambda}) - g_{i}(f; \overrightarrow{\lambda}) \right|^{2}}{S_{i}(f; \overrightarrow{\lambda})} \right)$$

Marginalisation over detector calibration error

$$p(\overrightarrow{\lambda} | \overrightarrow{x}, M) = p(\overrightarrow{\lambda}) \exp \left( -2 \sum_{i=1}^{N_{det}} \int_{f_{low}}^{f_{high}} df \frac{\left| \overrightarrow{x}_{i}(f) - h(f; \overrightarrow{\lambda}) C_{i}(f; \overrightarrow{\lambda}) - g_{i}(f; \overrightarrow{\lambda}) \right|^{2}}{S_{i}(f; \overrightarrow{\lambda})} \right)$$

Multi-dimensional Glitch fitting

$$p(\overrightarrow{\lambda} | \overrightarrow{x}, M) = p(\overrightarrow{\lambda}) \exp \left( -2 \sum_{i=1}^{N_{det}} \int_{f_{low}}^{f_{high}} df \frac{\left| \overrightarrow{x}_{i}(f) - h(f; \overrightarrow{\lambda}) C_{i}(f; \overrightarrow{\lambda}) - g_{i}(f; \overrightarrow{\lambda}) \right|^{2}}{S_{i}(f; \overrightarrow{\lambda})} \right)$$

Marginalisation over PSD error

#### PE in O3 @ Cardiff?

- Reduced Order Modelling,
   Faster PE
- Detection and PE
- New GW Likelihood
  - Signals + Detector
- Detchar and PE
- Understanding of the parameter space
- Stacking (H0, populations, ...)

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